Catch Advice Methods for the Northeast Multispecies Fishery:
Report of Phase 3Work

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## Executive Summary

Scientific uncertainty in the assessments and projections used to set catch advice for many groundfish stocks has resulted in achieved harvest rates far from the desired levels. For stocks with age-based assessments, overestimation of target catches was frequent, whereas for stocks with index-based assessments, target catches were often underestimated. The aim of this work is to identify methods for setting catch targets that will come closer to achieving the target harvest rates. We selected six groundfish stocks for this analysis, five of which had problems of overestimation of historical catch targets (Georges Bank cod, Gulf of Maine cod, Georges Bank yellowtail flounder, witch flounder, and Southern New England / Mid-Atlantic winter flounder), and one with underestimation of catch targets (pollock).

For stocks with age-based assessments that overestimated catch targets, we tested a number of alternative methods, and identified several approaches that were substantial improvements to the historical approach, often greatly reducing the overestimation in target catches. The most successful alternative approaches we identified were those that 1) used a fixed catch target in the years between assessments, and 2) adjusted the most recent estimate of population size downward to account for the pattern of frequent overestimation. Adjustments to the terminal abundance estimate have been made for some stocks in recent years using the mean retrospective bias estimated from the assessment, but our results suggests that if such modifications had been made in the past, they would have been insufficient in most cases. An improvement is to use a fixed adjustment factor across stocks (assuming terminal biomass is overestimated by $38 \%$, $66 \%$ or $100 \%$ ), as doing so outperformed using assessment-specific adjustment factors. The largest adjustment factor had the lowest frequency of overfishing across stocks, but it was overly conservative in a number of years for some stocks. Threshold-based control rules that decreased the harvest rate as the population biomass fell below the MSY level were effective to a lesser degree, but were overly conservative when paired with the abundance adjustment methods. Although catch-averaging (or smoothing) methods were not used in the setting of previous catch targets, they have been suggested as a viable alternative to reduce interannual variability in catches. Our work shows that although these smoothing methods do reduce variability in target catches, they perform worse in nearly all cases (greater overestimation of target catches). Avoiding projections is preferred to averaging methods, as it both reduces the variability in target catches and results in less overestimation of target catches overall. Because improved methods were identified here, in future work we will apply these methods to additional groundfish stocks not included in the current analysis to determine if the success of these approaches can be generalized across most New England groundfish stocks.

We also evaluated the performance of data-limited alternatives to the catch advice for all six stocks (including pollock, which had index-based catch advice from 2004 to 2010). Contrary to the other groundfish stocks in this analysis, historical catch advice for pollock was too conservative, resulting in annual harvest rates well below the desired levels. We evaluated a range of alternative methods that utilized information from both
the NEFSC bottom trawl survey, as well as the age structure in the catch. For pollock and witch flounder, performance of the data-limited methods was variable over time, and overly conservative. For the remaining stocks, again performance of the approaches was variable, with no single method being best for all stocks in all years. However, many of the data-limited approaches set alternative catch targets well below the historical catch targets following each assessment, although not enough to prevent overfishing. Because of the overall performance of some of these methods, they will be tested on additional groundfish stocks in future work.

## Introduction

Frequent overfishing has occurred for many stocks in the New England groundfish complex, and many populations remain overfished despite efforts to constrain harvest rates and rebuild populations (NEFSC 2015). Previous work (Wiedenmann and Jensen 2015) showed that recent catch targets (since 2004) were overestimated for many groundfish stocks. Overestimation of catch targets was particularly problematic for Gulf of Maine (GOM) cod, Georges Bank (GB) cod, GB yellowtail flounder, witch flounder, Cape Cod / Gulf of Maine (CC/GOM) yellowtail flounder, American plaice, and Southern New England / Mid Atlantic (SNE/MA) winter flounder, all stocks with agebased stock assessment models. This overestimation was largely due to scientific uncertainty in the estimated abundance, as terminal abundance in the assessment models was frequently overestimated. Recruitment for many stocks has also been declining since 2004, compounding the error in catch targets based on projections. Underestimation of catch targets was less common, occurring for pollock, GOM haddock (both stocks relied on index-based assessment methods for much of the time series), and Acadian redfish.

Because of the magnitude of scientific uncertainty in previous catch advice for New England groundfish, it is important to 1) identify the sources of this scientific uncertainty (i.e., what caused the assessments to overestimate abundance), and 2) understand how alternative methods would have performed with respect to and preventing overfishing. Due to the many data inputs and model assumptions for each assessment for each stock, addressing 1) is well beyond the scope of this work. Here we focus on addressing 2), so that effective methods can be identified and used in the setting of future catch targets.

This work expands on the previous analysis (Wiedenmann and Jensen, 2015), focusing on the catch advice following the GARM 1, 2, and 3 age-based projections for GOM cod, GB cod, GB yellowtail flounder, witch flounder, SNE/MA winter flounder, and on the index-based catch advice for pollock from these same assessments (NESC 2002, 2005, and 2008). We explored a variety of alternative methods for setting catch advice for the age-based estimates. Because our earlier work identified overestimation of terminal abundance and declining recruitment as two major factors contributing to the uncertainty in catch advice, we explored methods for adjusting the terminal abundance estimate, as well as a way to adjust forecasted recruitments based on perceived changes in recruitments. Furthermore, because projection models often predicted increasing stock biomass under the target harvest rates (and therefore increasing target catches), overestimation of the starting abundance has the potential to amplify the error in target catches by using projections. We therefore explored the impact of using a fixed target catch over the interval between assessment models. We also evaluated alternative control rules that reduced the target harvest rate as the estimated biomass falls below some specified threshold, and the effect of gradual changes in the catch targets that prevent dramatic increases or decreases from year to year. Finally, we explored a variety of datalimited approaches for setting catch advice to compare with both the age-based projections and the index-based method used for pollock for much of the time series.

Performance of each alternative method was evaluated with respect to the ability to set target catches ( $C_{\text {target }}$ ) each year close to the level that would have achieved $F_{M S Y}$ in each year (estimated using the most recent stock assessment). We also quantified the frequency of overfishing and the interannual variability in catch targets for each method to identify those that limited overfishing and prevented dramatic changes in catches from year to year.

## Methods

To determine how alternative methods for setting catch targets would have performed in a given year with respect to preventing overfishing ( $F \leq F_{M S Y}$ ), we need to know what level of catch would have achieved $F_{M S Y}$. The true catch at $F_{M S Y}$ is unknown because we do not know what the true population size, weight-at-age, and fishery selectivities were over time. However, we do have the most recent stock assessments that provide estimates of these quantities. The most recent assessment for a stock (that passed review) is considered the best available science, and we used the most recent assessment for each stock as the primary source of information for our analyses. In some cases the most recent assessment exhibited a retrospective pattern, where the model has a tendency to over- or under-estimate terminal biomass in recent years (calculated by sequentially removing one year of data and refitting the model) relative to the biomass estimates when the assessment is fit using the full time series of data. We did not adjust the biomass estimates over time from the most recent assessment to account for the retrospective pattern in recent years. Therefore, a caveat to our approach is that we are still using estimates from an assessment model, sometimes with a moderate to strong retrospective pattern, which may be revised up or down in future assessments. For four of the six stocks used in this analysis, the most recent age-based assessment that passed review was the 2015 groundfish update assessment (NEFSC 2015; herein we refer to it as the GARM 4 assessment for continuity). These stocks were GOM cod, witch flounder, SNE/MA winter flounder, and pollock. GB cod and GB yellowtail were also assessed in GARM 4, but the GB cod assessment did not pass review, and the GB yellowtail assessment relied on swept-area estimates of total biomass. For these stocks we used the most recent agebased assessment that passed review as the source of all necessary information (NEFSC 2013 for GB cod and Legault et al. 2013 for GB yellowtail flounder; Table 1).

We focused on the catch advice following the GARM 1, 2, and 3 assessments for each stock. For most stocks, GARM 1 was the basis for catch targets for 2004 and 2005, GARM 2 the basis for catch targets from 2006 through 2008, and GARM 3 was the basis for catch targets starting in 2009 to a variable end date. For some stocks GARM 3 informed catch targets through 2012, although a number of stocks were reassessed and the catch targets were updated prior to 2012. An exception to these patterns was GB yellowtail, which has had annual updates to catch targets following annual assessments. For consistency across stocks with age-based assessments in our analysis, we assumed that GARM 1 informed catch targets for 2004-2005, GARM 2 informed targets from 2006 - 2008, and GARM 3 informed catch targets for 2009-2012. For pollock, we assume the same dates for GARM 1 and 2, but only use GARM 3 to inform catch targets in 2010, as this period represents the catch targets from the index-based assessment model. In 2010 an age-based assessment for pollock was completed (NEFSC 2010), and subsequent catch targets were derived from the age-based model.

Our analyses used two distinct approaches. For stocks where catch targets were derived from age-based assessments (GOM and GB cod, GB yellowtail flounder, witch flounder, and SNE/MA winter flounder), we used an age structure projection model that we developed in R ( R Core Team, 2015), and modified the inputs when testing
alternative methods for setting catch targets. For all stocks including pollock, we used a variety of data-limited methods available in the R package DLMtool (Carruthers 2014). We first describe the age-structured projection model and all of the modifications we explored, and then describe the data-limited approaches.

## Age-Structured Population Model and Projections

We developed an age-structured projection model for our analyses to mimic the AGEPRO model used for age-based projections for New England groundfish stocks (Brodziak et al. 1998). A benefit to developing our own model (in lieu of using the AGEPRO model) is that it can be easily modified as needed to test alternative catch advice methods. When using the same inputs and assumptions, our projection model resulted in estimates of biomass and catches that closely matched those from the AGEPRO model. The equations governing the projection dynamics of our model are presented in Table 2, and we provide a summary of the model here. The projection model requires inputs of the initial abundance-at-age, mean maturity-, fishery selectivity, and weight-at-age (in the population and catches if different). Additional inputs include the $\operatorname{target} F$, the stock-recruit relationship (or empirical recruitment estimates in the absence of a relationship), the assumed catch and / or $F$ during the interim years between the assessment estimates and when the catch targets are being calculated (termed the bridge years). In year 1 of the projection, the $F$ is either based on the input value, or it is calculated using the input catch and the Baranov catch equation (equation 5 in Table 2). In the second year of the projection, recruitment is determined from the specified recruitment model with the appropriate lag in years when necessary. Witch flounder was the only stock with a lag greater than 1 year, but the projections relied on an empirical distribution of past recruitments and not a stock-recruit relationship, so we did not need to account for the 3-year recruitment lag for this stock. For all other age-classes, abundance at age in year 2 is determined by the abundance in the previous year discounted by fishing and natural mortality rates (equation 1 in Table 2). Spawning biomass is calculated each year using the estimated abundance at age and the specified mean maturity- and spawning weight-at-age, discounted by a specified fraction of the total mortality that occurs before spawning in a year. Total catch in a year is calculated using the Baranov catch equation for a given target $F$. The stock is projected forward a number of years under the specified $F$, and this process is repeated 1,000 times to account for the bootstrap- or MCMC-derived uncertainty in the initial abundance and future recruitments, producing a distribution of predicted spawning biomass, recruitment, and total catch for each year in the model.

We ran the projection model for each stock using the original projection inputs following GARM 1, 2, and 3 (obtained from the New England Fishery Management Council). The median target catch in each year from each projection period (e.g., 20042005 for GARM 1) was set as the baseline level for comparison with the target catches from alternative approaches.

We evaluated a range of alternative methods for setting catch targets (see Table 3 for a summary of each method). These methods can be broadly classified as 1) adjustments to the population inputs, and 2) alternative ways of determining the target catch given the inputs. Adjustments to the population inputs involved modifying the initial abundance-at-age, or using a different way of forecasting recruitments in the projections. For the alternative ways of setting the target catch, we evaluated different control rules, whether or not to do projections, and methods for "smoothing" the target catch time series.

## Alternative Methods for Setting Catch Targets: Adjusted Abundance-at-Age

We evaluated eight methods (numbered 1-8) for setting the initial abundance-atage in the projection model (Table 3). For run 1, we used the original (unmodified) distribution of abundance-at-age for each projection. For runs $2-5$, we used an adjustment factor, $\phi$, and calculated a modified abundance-at-age with:

$$
\begin{equation*}
N_{\text {mod }}(a)=\frac{N(a)}{1+\phi} \tag{1}
\end{equation*}
$$

For run 2, $\phi$ was based on the estimate of Mohn's $\rho$ (Mohn 1999) following each assessment for each stock (Table 4). For runs 3, 4, and 5 we used a fixed $\phi$ for all stocks across assessments. The values for runs 3 and 4 were based on the median and mean relative errors ( 0.38 and 0.66 , respectively) in terminal biomass across groundfish stock assessments identified by Wiedenmann and Jensen (2015). For run 5 we tested a larger value of $\phi(1.0)$.

For runs 6, 7, and 8, the initial abundance-at-age in each projection was based on the estimated abundance 3,4 , and 5 years prior to the terminal year in each assessment, respectively. For example, the terminal year in the GARM 1 assessment was 2001, so for run 5 the initial abundance used to calculate the target catch would be the estimated abundance-at-age in 1999. The rationale for using an older estimate of abundance is that many of the GARM 1-3 assessments predicted sharp increases in biomass in the final few years of the model that never materialized (Wiedenmann and Jensen 2015), and using older abundance estimates could alleviate some of the error resulting from these erroneous predicted increases in terminal abundance. Uncertainty in the initial abundance in each age class was generated using a lognormal distribution:

$$
\begin{equation*}
N_{\text {mod }}(a) \sim \operatorname{Lognormal}\left(N_{\text {old }}(a), \sigma(a)^{2}\right) \tag{2}
\end{equation*}
$$

where $N_{\text {old }}(a)$ is the is the point estimate of numerical abundance-at-age 3,4 , or 5 years before the terminal year, and $\sigma(a)^{2}$ is the estimated uncertainty in the original (unmodified) abundance-at-age used in the projection because we did not have the estimated uncertainty in years prior to the terminal year. For these runs, all other agebased projection inputs (weight, maturity, selectivity) were not modified.

Forecasted recruitments in the projections were estimated using 1) the unmodified method (either a stock-recruit relationship or an empirical cumulative distribution function specified in the original projection input files), or 2) a truncated empirical distribution using recent recruitments if a decline has been identified. To determine if a decline in recruitment occurred in recent years, we used the algorithm developed by Rodionov (2004) to detect recent climatic regime shifts. This method was used by Vert Pre et al. (2013) to determine if temporal changes in stock productivity had occurred for a large number of global fish stocks. The algorithm works by calculating the mean recruitment over a specified initial time period, then calculates the mean for a subsequent period and assigns this period as a new regime if the mean is significantly different from the old mean according to the Student's t-test. The algorithm continues sequentially until each time period is assigned to an existing or new regime.

For each stock and each assessment, we used the regime-shift algorithm to determine if the estimated recruitment had declined in recent years (Figures 1-5). We assumed a minimum initial interval of 5 years, and omitted the terminal year estimate of recruitment due to the high uncertainty in the estimate. In some cases, no regime shift was detected for the entire time series, while in others, increases and decreases were predicted in a single time series. In cases where the mean recruitment from the terminal regime was lower than the mean from the previous regime, we used the empirical recruitment estimates from the terminal regime period only in the projection model. For example, using the GARM 3 estimates the algorithm detected a decline in GB cod mean recruitment starting in 1990 and continuing until the terminal year (2007; Figure 1). Projections for GB cod therefore used the recruitment estimates from 1990 onward to create an empirical cumulative distribution function (ECDF) to determine forecasted recruitments. If no decline in recent recruitment was detected, no modification was made to the forecasted recruitment method. When a lower recruitment regime was detected, we did not adjust the reference points because this would have altered the performance of the threshold control rules that reduce the harvest rate as the biomass falls below the biomass reference point $S_{M S Y}$ (see below).

## Alternative Methods for Setting Catch Targets: Control Rules

The existing control rule for New England groundfish stocks has been to use the lesser value of $75 \%$ of $F_{M S Y}$ or $F_{\text {Rebuild }}$ (if the population is in need of rebuilding; Federal Register 2009). We evaluated a total of 6 control rules (runs 1-6), with the historical $F_{\text {target }}$ used in run 1. For run 2 the $F_{\text {target }}$ was set to $75 \%$ of $F_{M S Y}$ in each projection, regardless of whether or not it was lower than the estimated $F_{\text {Rebuild. }}$. Control rule runs 3-6 were variations of the threshold-based $P^{*}$ control rule (Shertzer et al. 2008) used by the Mid-Atlantic Fishery Management Council (MAFMC) and tested in the simulation work of Wilberg et al. (2015). The general $P^{*}$ approach uses the point estimate of the overfishing limit, or OFL (the catch at $F_{M S Y}$ ), and assumes that the point estimate of the OFL is the median of a lognormal distribution with a specified coefficient of variation (C.V.). The catch target (also called the acceptable biological catch, or ABC) is
determined by selecting a percentile of the OFL distribution below the median. Selecting the $40^{\text {th }}$ percentile of the OFL as the ABC implies a $40 \%$ chance of overfishing, or $P^{*}=$ 0.4. This approach results in the catch target being lower than the median (point estimate) of the OFL, and the size of the buffer increases with a lower percentile for a given C.V., or a higher assumed C.V. for a given percentile. The MAFMC uses a C.V. of 1.0 to generate the OFL distribution, and the target $P^{*}$ varies with the estimated stock size:

$$
P^{*}=\left\{\begin{array}{lr}
0.4 & \frac{s}{s_{M S Y}} \geq 1  \tag{3}\\
\text { int }+ \text { slope } * \frac{s}{s_{M S Y}} & S_{\text {thresh }}<\frac{s}{s_{M S Y}}<1 \\
0 & \frac{s}{s_{M S Y}} \leq S_{\text {thresh }}
\end{array}\right.
$$

When biomass is at or above $S_{M S Y}$, a fixed $P^{*}$ of 0.4 is used. As the biomass falls below $S_{M S Y}, P^{*}$ declines linearly until the $S / S_{M S Y}$ reaches some threshold level $\left(S_{\text {thresh }}\right)$, where $P^{*}$ is set to 0 and the fishery is closed. The MAFMC uses an $S_{\text {thresh }}=0.1$ for their control rule. For control rule runs 3 and 4 we used a C.V. $=1.0$, and $S_{\text {thresh }}=0.1$ and 0.2, respectively. For runs 5 and 6 we used a $\mathrm{CV}=1.2$, and $S_{\text {thresh }}=0.1$ and 0.2 , respectively (Figure 6).

## Alternative Methods for Setting Catch Targets: Projected or Fixed Catch Targets

Catch targets following GARM 1, 2, and 3 for stocks with age-based estimates were derived from the projected biomass and catch in the future under $F_{\text {target. }}$. For many stocks, biomass was projected to increase, but overestimation of the initial abundance in the projection model and below-forecasted recruitment resulted in catch targets being overestimated as well (Wiedenmann and Jensen 2015). In addition to using the standard projections (projection run 1), we explored two alternatives. One alternative (run 2) was to project only to the first year of the management period and fix the target catch for the remainder of the management period. For example, following the GARM 1 assessment, biomass would be projected from 2002 to 2004, and the catch at $F_{\text {target }}$ in 2004 would also be used in 2005. Alternatively, no projections could be done (run 3) and the catch target for the management period is calculated using $F_{\text {target }}$ and the initial abundance in the projection model. Using GARM 1 as an example again, the target catch in 2004 and 2005 would be based on the catch at $F_{\text {target }}$ using the estimated initial abundance at age in 2002.

## Alternative Methods for Setting Catch Targets: Gradual Changes in Catch Targets

All of the methods described thus far only use information from the most recent assessment when estimating catch targets. Using only the most recent assessment can result in a large change in the target catch between assessments if the current biomass estimate has deviated substantially from the projected biomass from the previous assessment. We evaluated three methods for smoothing the estimated catch targets: 1) use only the most recent information from the assessment when setting catch targets (i.e.,
no smoothing; the status quo approach), 2) constrain the catch targets based on the most recent assessment to only allow for annual changes of $+/-20 \%$, and 3 ) use a weighted average of the catch target from the previous assessment and the current catch targets. For 2 ), if $C_{\text {target }}^{*}(t)$ is the new target catch in year $t$, then the actual catch target in year $t$ will be

$$
C_{\text {target }}(t)= \begin{cases}\max \left(0.8 * C_{\text {target }}(t-1), C_{\text {target }}^{*}(t)\right) & C_{\text {target }}^{*}(t)<C_{\text {target }}(t-1)  \tag{4}\\ \min \left(1.2 * C_{\text {target }}(t-1), C_{\text {target }}^{*}(t)\right) & C_{\text {target }}^{*}(t)>C_{\text {target }}(t-1)\end{cases}
$$

For 3), if $C_{p r e v}$ is the target catch in the final year of the previous management period, then the target catch in year $t$ is a weighted average of $C_{\text {prev }}$ and $C_{\text {target }}^{*}(t)$

$$
\begin{equation*}
C_{\text {target }}(t)=(1-\omega) \cdot C_{\text {prev }}+\omega \cdot C_{\text {target }}^{*}(t) \tag{5}
\end{equation*}
$$

We set $\omega=0.5$, providing even weight to the previous and updated information, but weights between zero and one are valid.

## Data-Limited Methods

For GARM 1-3, pollock catch advice was derived from index-based assessments (NEFSC 2002a, 2005, 2008). A full description of the index-based projections methods is provided in the NEFSC (2002b). Although it is possible to explore catch predictions from the method used with different indices of abundance (e.g., the spring survey index compared to the fall survey index), a more appropriate analysis for this stock requires exploring alternative methods for setting catch targets in data-limited situations. Carruthers (2014) developed an R package that contains more than 50 methods for setting target catches for data-limited fisheries. The complexity and level of data requirements and model assumptions varies greatly across methods. We restricted our analysis of alternatives methods to those that used 1) age structured information from the landings to perform catch curve analyses, and 2 ) indices of relative abundance over time that adjust the target catch based on the recent trend in the survey index. A full list and description of the different methods used is provided in Table 5. For each method that relied on an index of abundance, we predicted the catch targets using both the spring and fall NEFSC bottom trawl survey index. The motivation for using data-limited methods was pollock, but we used them to predict catch targets for all stocks to compare their performance to the data-rich approach of using a full stock assessment. Inputs to the DLMtool package for each stock are presented in Appendix A.

## Performance of the Alternative Methods

The alternative methods for the age-structured assessments described above were combined in a factorial manner, such that every combination of models was applied to each stock to determine the methods that set catch targets close to the estimated catch at $F_{M S Y}$ following each assessment. In total, we ran 864 combinations ( 8 abundance runs x 2 recruitment runs x 6 control rule runs x 3 projection / fixed runs x 3 gradual change in catch runs) for each stock following the GARM 1, 2, and 3 assessments. For all
combinations we evaluated performance using three metrics. The first was the ratio of fishing mortality rate in each year, $F(t)$ to the most recent estimate of $F_{M S Y}$ (the $F$-ratio). $F$-ratios close to 1.0 indicate that the method would have set the target catch close to the catch that would have achieved $F_{M S Y}$. The annual estimates of $F$ were numerically estimated using the target catch and the abundance-at-age in a give year. We explored three methods for calculating $F(t)$, with each method differing by the manner in which abundance changes annually in response to the fishing intensity earlier in the time period. Each approach for calculating $F$ assumed that the target catch from an alternative method was removed each year, such there was no implementation uncertainty. The first method for calculating $F$ (which we call the static approach) used the fixed abundance-at-age estimates from the most recent assessment, and did not account for possible changes in abundance that may have occurred if a particular approach was more or less conservative than the catches that that occurred for a stock. The second and third approaches allowed for changes in abundance over time resulting from more or less conservative catches over time. The difference between these dynamic approaches was the way in which recruitments were handled. In the first dynamic method, recruitment in each year was fixed at the observed value from the most recent assessment (called the dynamic with fixed recruitment). This method assumes recruitment is independent of stock size, as fishing under a lower $F$ would result in increased spawning biomass, yet the recruitments each year remain the same. The second dynamic approach we explored was to estimate a stock-recruit relationship for each stock, and calculate the relative deviations in each year around the predicted recruitments (called the dynamic approach with variable recruitment). Using the estimated spawning biomass and recruitment time series' from the most recent assessment for each stock, we assumed recruitment followed the Beverton-Holt relationship:

$$
\begin{equation*}
R(t)=\frac{\gamma S\left(t-a_{R}\right)}{\beta+S\left(t-a_{R}\right)} \tag{6}
\end{equation*}
$$

and estimated the parameters $\gamma$ and $\beta$ for each stock using a maximum likelihood approach assuming a lognormal distribution for the errors (Figure 7). With a model to predict recruitment from spawning biomass (lagged by the age at recruitment, $a_{R}$ ) and estimates of the relative deviations in recruitment each year, we were able to predict changes in recruitment following changes in spawning biomass under the different levels of $F$. A caveat to both of the dynamic approaches is that large changes in biomass (up or down) are not reflected in changes in the assessment estimates used to set catch targets.

The second metric we calculated was the frequency, or probability, of overfishing ( $P_{\mathrm{OF}}$ ), calculated as the proportion of years from 2004-2012 when $F>F_{M S Y}$. This metric was sensitive to the resulting $F$ from a method, and we calculated it using the static and dynamic abundance methods described above.

The final metric we calculated is a relative measure of the interannual variation in catch, or AAV. This metric was proposed by Punt (2003), and is calculated with
$A A V=\frac{\sum_{t>1}\left|C_{\text {target }}(t)-C_{\text {target }}(t-1)\right|}{\sum_{t} C(t)}$

Large values of AAV indicate a method resulted in larger interannual changes in the $C_{\text {target }}$. We used these metrics to help identify alternative methods for setting catch advice that would have limited overfishing ( $\mathrm{P}_{\mathrm{OF}}<=0.5$ ) without being too conservative (avoid F-ratios $\ll 1$ ), while allowing for stable catches (small AAV).

For the data-limited approaches, performance was evaluated in a slightly different manner. For each approach we calculated the ratio of the target catch to the estimated OFL (calculated using the static approach), and refer to this metric as the $C$-ratio ( $C$-ratio $(\mathrm{t})=C_{\text {target }}(\mathrm{t}) / \mathrm{OFL}(\mathrm{t})$ ). As with the $F$-ratio, we are looking for methods that result in a $C$ ratio close 1.0 across years for a stock.

## Results

The effects that each alternative method had on the performance metrics for a stock depended on whether or not we assumed abundance in each year changed in response to changes in the estimated $F$ (the dynamic or static approaches). We present results from both the dynamic approach with fixed recruitments and the static approach, omitting discussion of the dynamic approach with variable recruitment. Estimates of the $F$-ratio ( $F / F_{M S Y}$ ) grouped by each method are shown in Figures 8-12 for each assessment period for each stock with age-based GARM $1-3$ assessments (GB and GOM cod, GB yellowtail flounder, witch flounder, and SNE/MA winter flounder). Each of these Figures has a panel a) and b), corresponding to the results from the dynamic approach with fixed recruitment and the static approach, respectively. The run numbers correspond to those listed in Table 3, with the run numbered 1 for a given method representing the approach originally used for each stock. For example NAA 1 is the model run where abundance-at-age is not modified, and PR1 is the model run where projections were used in the calculation of target catches. The distribution of estimates of the $F$-ratio for a given run represents all other combinations of alternative methods (e.g., all combinations of the different control rules, gradual change methods, etc. for NAA 1). The key to interpreting these plots is to compare the distribution of alternative methods relative to the original method (e.g., are NAA runs 2-7 improvements over NAA run 1?), and whether or not patterns are consistent across assessments. Also, it is important to identify which runs for a given method are the most successful (distribution of $F$-ratio close to 1.0) for each assessment for all stocks.

Based on Figures 8-12 a number of generalizations can be made about the success or failure of alternative methods. First, modifying the method for forecasting the recruitments had little effect on estimates of the $F$-ratio. This result is not surprising for stocks where no decline in recent recruitment was predicted following an assessment (e.g., GOM cod, witch flounder, GB yellowtail flounder; Figures 2, 3, and 5), but is somewhat surprising for SNE/MA winter flounder (Figure 4). Using the modified recruitment for SNE/MA winter flounder did result in improved estimates of catch targets following GARM 2 and GARM 3, but the magnitude of the improvement was small relative to some of the other methods tested for this stock (Figure 12). The second generalization is that averaging or smoothing methods aimed at reducing the magnitude of interannual changes in $C_{\text {target }}$ performed comparable or worse across assessments and stocks to the approach that did not use any smoothing.

Methods that resulted in large improvements to the catch advice across stocks were those that modified the initial abundance, and those that used fixed target catches (i.e., no projections). Using the Mohn's $\rho$ estimated from each assessment (NAA run 2) to adjust the abundance typically resulted in small changes in the target catch, while fixed adjustments (NAA runs 3, 4, and 5) were more effective at getting $F$ close $F_{M S Y}$. Using estimates of abundance that were 3-5 years out of date (NAA runs 6,7 , and 8 ) sometimes improved the catch advice, but the pattern of the improvement was not consistent across stocks, nor across assessments for a given stock. In other words, in some cases data that
were 3 years out of date (NAA run 6) provided the greatest improvement, while in other cases data that were 4 or 5 years out of date (NAA runs 7 and 8 ) outperformed the runs using information from 3 years ago (Figure $8-12$ ). Smaller improvements in catch advice generally occurred when using the threshold-based $P^{*}$ control rule (Figure 8-12). While these methods improved the catch advice relative to the original method, the improvements were not always enough (i.e., the distributions for the $F$-ratio did not overlap with 1.0).

The plots of the F-ratio are separated out by assessment, and the $F$-ratio estimates can vary considerably by assessment (Figures 8-12). For some stocks (e.g.) the $F$-ratio distribution was well above 1 for one assessment, and centered around or below 1.0 for another (e.g., SNE/MA winter flounder; Figures 12a and 12b). In addition to the F-ratio we calculated the proportion of years for the entire management period (2004-2012 for all except GB cod, where the period ended in 2011) in which $F>F_{M S Y}$ (Figure 13-17). For GB yellowtail and witch flounder, most estimates of $P_{O F}$ were 1.0, indicating overfishing in all years for most methods (Figures 15 and 16). For these stocks decreases in $P_{O F}$ did occur for methods that do not use projections and do not use smoothing methods, although estimates were still largely above 0.5 . For GB and GOM cod, abundance modifications, threshold-based control rules, not doing projections, and not suing smoothing methods resulted in the distribution of $P_{O F}$ centered near or below the 0.5 level (Figures 13 and 14). For SNE/MA winter flounder, distribution for POF were generally centered between 0.5 and 1.0 , although not doing projections and avoiding smoothing methods reduced the frequency of overfishing below 0.5 for more than half the runs explored for this stock (Figure 17).

For each method for each stock we calculated a relative measure of the interannual variability in $C_{\text {target }}$ (AAV; equation 7) to identify methods that resulted in greater stability in catches. Not surprisingly, the methods that smoothed the catch series had less variability overall, as did methods that fixed $C_{\text {target }}$ over the interval (Figures 18 - 22). Alternative control rules and recruitment modifications did not impact AAV, while adjustments to the abundance had a small, albeit variable, impacts on AAV.

The boxplots of $F$-ratios across methods show how each alternative method performed relative to the other methods, but it does not identify which combinations of approaches may be the most effective. To identify the most effective combinations of approaches we used regression trees. In regression trees the data are split along coordinate axes of the explanatory variables (in this case, the different runs) to identify areas of greatest distinction in the response variable (F-ratio; Crawley 2007). In other words, which combinations of model runs resulted in large differences in the $F$-ratios for a stock? We used regression trees for each stock with estimates combined across assessments (Figures 23-27). Across stocks, the trees indicate different pathways to getting $F$-ratios closer to 1.0. Detailing each potential pathway for each stock is impractical, but some generalizations can be made, and they are in agreement with the patterns shown in Figures 8-12. F-ratios were generally higher when smoothing methods were used (AVG runs 2 and 3 ), and often when projections were done (PR run 1). Improved F-ratios often occurred for fixed abundance modifications (NAA runs 3-5), but
such an adjustment was often not enough, supporting the conclusions of Brooks and Legault (2015). Combining abundance modifications with no projections, or with a threshold-based control rule (CR runs 3-6) was often more effective at lowering the $F$ ratio. Combining all three approaches was too conservative for some stocks ( $F$-ratio $\ll$ 1.0 ), and was only effective for stocks with the highest overestimation of historical catch targets (GB yellowtail and witch flounder; Figures 25 and 26, respectively).

Based on the regression trees we selected combinations of approaches for further exploration. In Table 6 we compare the mean value of the $F$-ratio by stock without projections or smoothing methods for the abundance modification runs 3 , 4 , and 5 (fixed adjustments using $\phi=0.38,0.66$ and 1.0 , respectively, in equation 1 ), and control rule runs 1 (the original approach), and 3 (a threshold-based P* approach; see Table 3 for more details). Combining fixed abundance modifications with a threshold-based control rule without using projections prevented frequent overfishing ( $\mathrm{P}_{\mathrm{OF}}<0.5$ ) for each stock (when POF was calculated using the dynamic approach with fixed recruitment).
However, this approach was too conservative for some stocks, particularly GB cod and SNE/MA winter flounder, where the adjusted biomass triggered the closing of the fishery and target catches were set to 0 . When using the abundance modification without projections and using the original control rule, frequent overfishing did not occur for witch flounder for an abundance adjustment $\phi=1.0$, for GOM cod for abundance adjustments of 0.66 and $1.0\left(\mathrm{P}_{\mathrm{OF}}=0.56\right.$ when $\left.\phi=0.38\right)$, and for GB cod and SNE/MA winter flounder for all adjustment factors (Table 6). For this combination of approaches though using largest adjustment factor ( $\phi=1.0$ ) was very conservative for GB cod and SNE/MA winter flounder, resulting in a mean $F$-ratio of 0.66 and 0.45 , respectively.

Performance of the alternative data-limited approaches listed in Table 7 varied by stock and assessment. We tested the index-based data-limited methods using both the spring and fall NEFSC survey indices of abundance. Results were generally comparable for the different indices for a given stock and assessment, so we focused on the results using the fall index of abundance. For pollock and witch flounder, most approaches were overly conservative (catch well below the level that would have achieved $F_{M S Y}$ ). For the remaining four stocks (GOM and GB cod, GB yellowtail flounder, and SNE/MA winter flounder), the performance varied widely within both the catch-curve and index-based method categories. Some methods were consistent improvements to the original target catches, but they still would have resulted in overfishing $(C$-ratio $>1)$ in nearly all cases. Two methods in particular consistently performed well (lower values of $\eta$ ) for these four stocks. One method (Fratio_CC), relies on catch curve analysis to approximate the OFL by estimating total mortality, which is then used to estimate recent biomass with assumed distributions for natural mortality rate $(M)$ and the ratio of $F_{M S Y} / M$ (Carruthers 2014). The other relatively effective approach (Itarget4) was a conservative index-based method proposed by Geromont and Butterworth (2014) that makes incremental adjustments to the average of recent catches based on changes in the survey index relative to a specified target index level. Choosing a particular data-limited approach requires careful consideration of the different data sources and assumptions, as catch curve and indexbased methods have a range of strengths and weaknesses that must be considered. Catch curve methods are sensitive to trends in recruitment and also the vulnerability of older
fish to the fishery, but are insensitive to changes in a survey index. In contrast, indexbased approaches adjust an average catch based on index trends, and are therefore sensitive to the choice of the average catch level, as well as to whether or not the changes in the index are reflective of changes in stock abundance. Because some of the index and catch curve methods we explored performed relatively well (Table 7), we will explore these methods further for additional groundfish stocks.

## Conclusions

We evaluated a number of alternative methods for setting catch advice for a sample of New England groundfish stocks to identify possible methods, or combinations of methods, that would have reduced the frequency of or prevented overfishing since 2004. For stocks with age-based assessments (GB and GOM cod, GB yellowtail founder, witch flounder, and SNE/MA winter flounder), historical target catches were overestimated in many years. We identified a number of approaches that were substantial improvements, often greatly reducing the amount of overestimation in target catches. The alternative approaches we identified as the most successful were those that 1) used a fixed catch target in the years between assessments, 2) adjusted the most recent estimate of population size downward to account for the pattern of frequent overestimation, and 3) used a threshold-based control rule. Adjustments to the terminal abundance estimate have been made for some stocks in recent years using the Mohn's $\rho$ estimated from the assessment, but our results suggests that if such modifications had been made in the past for all stocks, they would have been insufficient in many cases. A better alternative would be to use a fixed adjustment across stocks, as it outperformed the assessmentspecific adjustments. We evaluated fixed adjustments $(\phi)$ of $0.37,0.66$, and 1.0 , and found that all levels when used without projections were effective at reducing overfishing in many cases, although the largest adjustment factor was very conservative for some stocks in some years. We also found that threshold-based control rules provided improvements to the target catches in many instances, but when combined with abundance adjustments they were overly conservative, often triggering the closure of the fishery. Although averaging methods were not used in the setting of previous catch targets, they have been suggested as a viable alternative to reduce interannual variability in catches. Our work shows that while these smoothing methods reduce variability in catches, they preform worse in nearly all cases (greater overestimation of target catches). Avoiding projections is a much better alternative, as it both reduces the variability in target catches and results in less overestimation of target catches, overall. We will apply the successful methods identified here to additional groundfish stocks not included in the current analysis to determine if the success of these approaches can be generalized across most New England groundfish stocks.

We also evaluated performance of data-limited alternatives for setting catch advice, and found it varied widely across methods for each stock. For pollock and witch flounder, the data-limited methods were generally too conservative, setting catch targets well below the level that would have achieved $F_{M S Y}$. For the remaining stocks, many of the methods were improvements over the original catch targets, although the reductions in catches were not sufficient to prevent overfishing. Because some methods we evaluated were relatively effective for many of the stocks in this analysis, further exploration of these approaches on additional groundfish stocks is warranted.

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Table 1. Stocks used in this analysis and the most recent assessments that passed review that were the sources of best available (updated) information for each stock.

| Full Stock Name |  | Most recent |
| :--- | :--- | :--- |
| Georges Bank Atlantic Cod | Abbreviated Name | Assessment |
| Gulf of Maine Atlantic Cod | GOM Cod | NEFSC 2013 |
| Gerges Bank Yellowtail Flounder | GB Yellowtail | NEFSC 2015 |
| Southern New England / Mid-Atlantic Winter Flounder 2013 |  |  |
| WNE / MA Winter | NEFSC 2015 |  |
| Witch Flounder | Witch | NEFSC 2015 |
| Pollock | Pollock | NEFSC 2015 |

Table 2. Equations governing the age-based projections. Recruitment is either based on a Beverton-Holt stock-recruit relationship, or drawn from an empirical cumulative distribution function (ECDF).

| Eqn. |  |  |
| :---: | :---: | :---: |
| 1 | $\begin{aligned} & N(a, t) \\ & = \begin{cases}R(t) & a=a_{R} \\ N(a-1, t-1) e^{-Z(a-1, t-1)} & a_{R}<a<a_{\max } \\ N(a-1, t-1) e^{-Z(a-1, t-1)}+ & a=a_{\max } \\ N(a, t-1) e^{-Z(a, t-1)}\end{cases} \end{aligned}$ | Numerical abundance at age |
| 2 |  | Recruitment |
| 3 | $S(t)=\sum_{a} m(a) w_{S}(a) N(a, t) e^{-\phi Z(a, t)}$ | Total spawning biomass |
| 4 | $Z(a, t)=M(a, t)+s(a, t) F(t)$ | Total mortality |
| 5 | $\begin{aligned} & C(a, t)=\frac{s(a, t) F(t)}{Z(a, t)} w_{C}(a) N(a, t)\left(1-e^{-Z(a, t)}\right) \\ & C(t)=\sum_{a} C(a, t) \end{aligned}$ | Catch (at age and total) |

Table 3. Description of the alternative methods used to calculate target catches from agebased stock assessments. The abbreviations in parenthesis are used identify the different approaches in the Figures.

| Modification | Run | Description |
| :---: | :---: | :---: |
| Initial <br> Abundance- <br> at-age (NAA) | 1 | Use the model-estimated terminal abundance estimates |
|  | 2 | Adjust the terminal estimates with the $\phi=$ estimated Mohn's $\rho$ |
|  | 3 | Adjust the terminal estimate with a fixed $\phi=0.37$ |
|  | 4 | Adjust the terminal estimate with a fixed $\phi=0.66$ |
|  | 5 | Adjust the terminal estimate with a fixed $\phi=1.00$ |
|  | 6 | Use the abundance estimates 3 years prior to the terminal year |
|  | 7 | Use the abundance estimates 4 years prior to the terminal year |
|  | 8 | Use the abundance estimates 5 years prior to the terminal year |
| Recruitment(R) | 1 | Use the original recruitment time series |
|  | 2 | Use a shortened time series if a decline in recruitment is detected in recent years |
|  | 1 | Use the original target F in each year |
|  | 2 | Use 75\% FMSY in all years as the control rule |
| Control | 3 | Use the threshold $\mathrm{P}^{*}$ control rules with a max $\mathrm{P}^{*}=0.4 ; \mathrm{CV}=1.0$; minimum $S$ / $S_{M S Y}=0.1$ |
| Rules (CR) | 4 | Use the threshold $\mathrm{P}^{*}$ control rules with a maximum $\mathrm{P}^{*}=0.4 ; \mathrm{CV}=1.0$; minimum $S / S_{M S Y}=0.2$ |
|  | 5 | Use the threshold $\mathrm{P}^{*}$ control rules with a maximum $\mathrm{P}^{*}=0.4 ; \mathrm{CV}=1.2$; minimum $S / S_{M S Y}=0.1$ |
|  | 6 | Use the threshold $\mathrm{P}^{*}$ control rules with a maximum $\mathrm{P}^{*}=0.4 ; \mathrm{CV}=1.2$; minimum $S / S_{M S Y}=0.2$ |
| Projections | 1 | Use projections to estimate target catch each year |
| (PR) | 2 | Set a fixed target catch using the projection-estimated abundance in the first year of the management period (i.e., project from terminal year (TY) +1 to the first year of the management period) |
|  | 3 | Set a fixed target catch using the terminal year (TY) +1 estimate of abundance (no projections) |
| Averaging or | 1 | Use the updated catch estimates |
| Smoothing | 2 | Use the updated estimates, but only allow for annual changes of $+/-20 \%$ |
| (AVG) | 3 | Use an evenly-weighted average of the old catch target and the updated one |

Table 4. Estimated Mohn's $\rho$ (a measure of the mean retrospective error in terminal assessment estimates) for biomass and the fishing mortality rate for each stock from each assessment.

|  | Variable | GARM 1 | Mohn's $r$ <br> GARM 2 | GARM 3 |
| :---: | :---: | :---: | :---: | :---: |
| Stock | Biomass | 0.42 | 0.28 | 0.13 |
| GB | Fishing <br> Cod | -0.51 | 0.25 | -0.14 |
|  | mortality |  |  |  |
| GOM | Biomass | 0.02 | -0.04 | 0.19 |
| Cod | Fishing | -0.11 | -0.07 | 0.16 |
|  | mortality |  |  |  |
| Witch | Biomass | 0.58 | 0.81 | 0.43 |
| Flounder | Fishing | 0.45 | 0.16 | 0.29 |
|  | mortality |  |  |  |
| GB | Biomass | 0.73 | 2.00 | 0.44 |
| Yellowtail | Fishing | 0.16 | 1.10 | 0.08 |
| Flounder | mortality |  |  |  |
| SNE/MA | Biomass | 0.69 | -0.10 | -0.03 |
| Winter Flounder | Fishing | -0.23 | 0.40 | -0.02 |
|  | mortality |  |  |  |

Table 5. A list of the data-limited methods used in this analysis to predict catch targets for all stocks. Each method is available in the DLMtool R package developed by Carruthers (2014).

| Control rule abbreviation | Description | Source |
| :---: | :---: | :---: |
| BK_CC | Beddington and Kirwood life history method combined with catch curve analysis. Calculates the OFL using a catch curve estimate of current F and an approximation of FMSY based on length at first capture. | Beddington and <br> Kirkwood 2005 |
| Fdem_CC | Demographic MSY method using catch-curve analysis to estimate recent Z | McCallister et al. 2001; Carruthers 2014 |
| Fratio_CC | Calculates the OFL based on a fixed $\mathrm{F}_{\mathrm{MSY}} / \mathrm{M}$ ratio and a catch curve estimate of current stock size | Gulland 1971; Martell and Froese 2012; Carruthers 2014 |
| GB_slope | A harvest control rule similar to SBT1 that modifies a timeseries of catch recommendations aiming for stable catch rates, keeping annual changes within $+/-20 \%$ | Geromont and Butterworth (2014) |
| Islope 1 | The least biologically precautionary of two constant index / CPUE methods proposed by Geromont and Butterworth 2014 | Geromont and <br> Butterworth 2014 |
| Islope4 | The most biologically precautionary of two constant index / CPUE methods proposed by Geromont and Butterworth 2014 | Geromont and Butterworth 2014 |
| Itarget1 | The least biologically precautionary of two index/CPUE target management procedures proposed by Geromont and Butterworth 2014. | Geromont and Butterworth 2014 |
| Itarget4 | The most biologically precautionary of two index/CPUE target management procedures proposed by Geromont and Butterworth 2014. | Geromont and Butterworth 2014 |
| SBT1 | A harvest control rule that makes incremental adjustments to quota recommendations based on the apparent trend in surplus production. | http://www.ccsbt. org/site/recent_ass essment.php |
| DCAC_40 | A method for adjusting average catches based on an assumed fixed change in biomass over the time period. | Carruthers 2014 |

Table 6. The mean $F$-ratio $\left(F / F_{M S Y}\right)$ across a subset of alternative methods. Results are shown for runs where no projections, smoothing, or recruitment modification methods were used ( PR run 3 , AVG run 1, R run 1, respectively) using different adjustment factors ( $\phi=0,0.37,0.68$, and 1.0), control rules (CR runs 1 and 3 ), and when $F$ was calculated either using static abundance-at-age estimates from the most recent assessment, or dynamic abundance-at-age estimates (with fixed recruitment) that change in response to different catch targets. See Table 3 for details on the specific model runs. Values in bold represent the method where the frequency of overfishing (proportion of years when $F>F_{\text {MSY }}$ ) was less than 0.5 .

| Stock | Adj. Factor ( $\phi$ ) <br> Abundance Static (S) or Dynamic (D)? <br> Control rule run | 0.00 | 0.38 | 0.38 | 0.66 | 0.66 | 1.00 | 1.00 | 0.38 | 0.38 | 0.66 | 0.66 | 1.00 | 1.00 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
|  |  | S | S | D | S | D | S | D | S | D | S | D | S | D |
|  |  | 1 | 1 | 1 | 1 | 1 | 1 | 1 | 3 | 3 | 3 | 3 | 3 | 3 |
| GOM <br> Cod | GARM 1 | 4.22 | 2.36 | 2.08 | 1.89 | 1.64 | 1.53 | 1.28 | 0.39 | 0.31 | 0.28 | 0.22 | 0.19 | 0.17 |
|  | GARM 2 | 5.35 | 1.74 | 1.06 | 1.39 | 0.78 | 1.15 | 0.59 | 0.37 | 0.15 | 0.26 | 0.11 | 0.19 | 0.07 |
|  | GARM 3 | 21.86 | 4.69 | 0.99 | 3.53 | 0.72 | 2.74 | 0.56 | 1.56 | 0.29 | 1.08 | 0.21 | 0.76 | 0.14 |
|  | Mean | 10.48 | 2.93 | 1.38 | 2.27 | 1.05 | 1.80 | 0.81 | 0.77 | 0.25 | 0.54 | 0.18 | 0.38 | 0.13 |
|  | $P_{\text {OF }}$ | 1.00 | 1.00 | 0.56 | 1.00 | 0.33 | 0.89 | 0.22 | 0.33 | 0.00 | 0.11 | 0.00 | 0.11 | 0.00 |
| $\begin{aligned} & \text { GB } \\ & \text { Cod } \end{aligned}$ | GARM 1 | 2.19 | 2.08 | 1.89 | 1.64 | 1.47 | 1.33 | 1.19 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 |
|  | GARM 2 | 4.44 | 1.30 | 0.85 | 1.06 | 0.63 | 0.87 | 0.48 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 |
|  | GARM 3 | 1.81 | 0.98 | 0.54 | 0.80 | 0.41 | 0.67 | 0.30 | 0.07 | 0.04 | 0.04 | 0.00 | 0.00 | 0.00 |
|  | Mean | 2.82 | 1.45 | 1.09 | 1.16 | 0.84 | 0.96 | 0.66 | 0.02 | 0.01 | 0.01 | 0.00 | 0.00 | 0.00 |
|  | $P_{\text {OF }}$ | 1.00 | 0.75 | 0.25 | 0.75 | 0.25 | 0.25 | 0.25 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 |
| Witch Flounder | GARM 1 | 20.87 | 2.65 | 2.46 | 2.06 | 1.85 | 1.67 | 1.44 | 1.46 | 1.26 | 1.00 | 0.83 | 0.70 | 0.57 |
|  | GARM 2 | 6.35 | 3.59 | 2.57 | 2.75 | 1.43 | 2.16 | 0.95 | 3.72 | 1.63 | 2.35 | 0.84 | 1.58 | 0.53 |
|  | GARM 3 | 3.10 | 0.99 | 0.81 | 0.81 | 0.44 | 0.66 | 0.29 | 0.32 | 0.17 | 0.24 | 0.10 | 0.18 | 0.06 |
|  | Mean | 10.11 | 2.41 | 1.95 | 1.87 | 1.24 | 1.49 | 0.89 | 1.83 | 1.02 | 1.20 | 0.59 | 0.82 | 0.39 |
|  | $P_{\text {OF }}$ | 1.00 | 0.78 | 0.67 | 0.56 | 0.56 | 0.56 | 0.33 | 0.56 | 0.56 | 0.44 | 0.11 | 0.33 | 0.00 |
| GB <br> Yellowtail | GARM 1 | 34.48 | 21.83 | 21.83 | 20.14 | 20.14 | 11.12 | 5.59 | 2.90 | 1.84 | 1.83 | 1.17 | 1.22 | 0.79 |
|  | GARM 2 | 34.48 | 7.59 | 34.48 | 5.26 | 34.48 | 3.91 | 6.29 | 1.38 | 0.49 | 0.95 | 0.28 | 0.67 | 0.17 |
|  | GARM 3 | 25.53 | 2.49 | 31.77 | 1.93 | 29.46 | 1.53 | 1.99 | 0.91 | 0.36 | 0.63 | 0.24 | 0.44 | 0.16 |
|  | Mean | 31.50 | 10.64 | 29.36 | 9.11 | 28.03 | 5.52 | 4.62 | 1.73 | 0.90 | 1.14 | 0.56 | 0.78 | 0.38 |
|  | $P_{\text {OF }}$ | 1.00 | 1.00 | 1.00 | 1.00 | 1.00 | 1.00 | 1.00 | 0.56 | 0.22 | 0.44 | 0.22 | 0.11 | 0.00 |
| SNE/MA Winter | GARM 1 | 2.96 | 1.56 | 1.61 | 1.24 | 1.26 | 1.00 | 0.98 | 0.22 | 0.20 | 0.15 | 0.13 | 0.07 | 0.07 |
|  | GARM 2 | 2.11 | 0.64 | 0.62 | 0.52 | 0.46 | 0.43 | 0.36 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 |
|  | GARM 3 | 0.05 | 0.03 | 0.03 | 0.01 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 |
|  | Mean | 1.71 | 0.74 | 0.75 | 0.59 | 0.57 | 0.48 | 0.45 | 0.07 | 0.07 | 0.05 | 0.04 | 0.02 | 0.02 |
|  | $P_{\text {OF }}$ | 0.56 | 0.22 | 0.22 | 0.22 | 0.22 | 0.11 | 0.11 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 | 0.00 |

Table 7. The ratio of the target catches from each data-limited method (see Table 5 for descriptions of each method) to the catch at $F_{M S Y}$ (the OFL) for each stock, where the OFL was calculated using the fixed abundance-at-age estimates from the most recent assessment. For each assessment, the fall NEFSC index of abundance and the estimated catch at age in the fishery were used through the terminal year (2001, 2004, and 2007 for GARM 1, 2, and 3 respectively). Base is the original catch target ratio for each stock.

| Stock | Assessment | Base | BK_CC | Fratio_CC | Fdem_CC | SBT1 | GB_slope | Itarget 1 | Itarget4 | Islope 1 | Islope4 | DCAC_40 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | GARM 1 | 1.99 | 4.16 | 2.18 | 10.45 | 7.37 | 6.41 | 3.14 | 2.19 | 4.77 | 3.69 | 11.76 |
| GB | GARM 2 | 3.69 | 1.42 | 0.77 | 3.61 | 2.62 | 3.24 | 3.94 | 2.19 | 5.53 | 3.67 | 10.69 |
| Cod | GARM 3 | 1.55 | 1.04 | 0.57 | 2.58 | 1.83 | 1.49 | 0.92 | 0.65 | 1.23 | 1.02 | 6.35 |
|  | Mean | 2.41 | 2.21 | 1.17 | 5.55 | 3.94 | 3.71 | 2.67 | 1.68 | 3.84 | 2.79 | 9.60 |
|  | GARM 1 | 3.04 | 1.52 | 1.61 | 1.44 | 4.40 | 5.44 | 2.45 | 1.33 | 3.83 | 2.37 | 4.18 |
| GOM | GARM 2 | 4.22 | 1.22 | 1.22 | 1.15 | 3.21 | 3.49 | 3.84 | 1.88 | 3.76 | 2.23 | 4.12 |
| Cod | GARM 3 | 6.95 | 1.67 | 1.80 | 1.62 | 4.38 | 3.56 | 1.51 | 1.06 | 2.51 | 2.23 | 5.74 |
|  | Mean | 4.74 | 1.47 | 1.54 | 1.40 | 3.99 | 4.16 | 2.60 | 1.43 | 3.37 | 2.28 | 4.68 |
|  | GARM 1 | 5.85 | 0.22 | 0.10 | 0.44 | 0.27 | 0.33 | 0.11 | 0.06 | 0.11 | 0.08 | 0.31 |
| Witch | GARM 2 | 3.79 | 0.45 | 0.20 | 0.88 | 0.47 | 0.41 | 0.36 | 0.20 | 0.35 | 0.26 | 0.57 |
|  | GARM 3 | 2.67 | 0.08 | 0.03 | 0.15 | 0.10 | 0.09 | 0.18 | 0.13 | 0.31 | 0.24 | 0.74 |
|  | Mean | 4.10 | 0.25 | 0.11 | 0.49 | 0.28 | 0.28 | 0.22 | 0.13 | 0.26 | 0.19 | 0.54 |
|  | GARM 1 | 2.06 | 3.39 | 1.79 | 4.37 | 3.26 | 3.85 | 2.56 | 1.32 | 2.46 | 1.72 | 3.87 |
| SNEMA | GARM 2 | 1.83 | 2.17 | 1.14 | 2.71 | 1.15 | 1.41 | 1.44 | 0.87 | 2.12 | 1.43 | 3.41 |
| Winter | GARM 3 | 0.05 | 1.64 | 0.81 | 2.06 | 1.08 | 0.88 | 0.69 | 0.44 | 0.41 | 0.38 | 3.13 |
|  | Mean | 1.31 | 2.40 | 1.25 | 3.05 | 1.83 | 2.05 | 1.56 | 0.88 | 1.66 | 1.18 | 3.47 |
|  | GARM 1 | 10.00 | 5.33 | 1.43 | 6.68 | 6.21 | 7.59 | 5.39 | 2.47 | 5.93 | 3.57 | 2.88 |
| GB | GARM 2 | 8.66 | 16.40 | 4.58 | 20.82 | 13.31 | 10.72 | 10.97 | 5.91 | 7.15 | 6.44 | 7.11 |
| Yellowtail | GARM 3 | 7.38 | 3.05 | 0.87 | 3.98 | 3.43 | 4.19 | 4.64 | 3.13 | 9.32 | 6.04 | 7.42 |
|  | Mean | 8.68 | 8.26 | 2.29 | 10.49 | 7.65 | 7.50 | 7.00 | 3.84 | 7.47 | 5.35 | 5.80 |
|  | GARM 1 | 0.25 | 0.08 | 0.06 | 0.06 | 0.13 | 0.14 | 0.12 | 0.06 | 0.10 | 0.07 | 0.24 |
| Pollock | GARM 2 | 0.32 | 0.22 | 0.15 | 0.17 | 0.16 | 0.20 | 0.13 | 0.07 | 0.14 | 0.10 | 0.26 |
|  | GARM 3 | 0.16 | 0.70 | 0.53 | 0.57 | 0.37 | 0.30 | 0.22 | 0.12 | 0.08 | 0.12 | 0.39 |
|  | Mean | 0.24 | 0.33 | 0.25 | 0.27 | 0.22 | 0.21 | 0.16 | 0.08 | 0.11 | 0.10 | 0.30 |



Figure 1. Estimated time series of recruitment from each stock assessment (black line) for Georges Bank (GB) cod (black line), along with the predicted mean recruitment (gray line) using the regime-shift detection algorithm of Rodionov (2004).

GOM Cod , GARM1


GOM Cod , GARM3


GOM Cod, SAW55


GOM Cod , GARM4


Figure 2. Estimated time series of recruitment from each stock assessment (black line) for Gulf of Maine (GOM) Cod cod (black line), along with the predicted mean recruitment (gray line) using the regime-shift detection algorithm of Rodionov (2004).


Witch , GARM4


Figure 3. Estimated time series of recruitment from each stock assessment (black line) for witch flounder (black line), along with the predicted mean recruitment (gray line) using the regime-shift detection algorithm of Rodionov (2004).

SNE/MA Winter, SAW36


SNE/MA Winter , GARM3


SNE/MA Winter , GARM4


SNE/MA Winter , GARM2


SNE/MA Winter, SAW52


Figure 4. Estimated time series of recruitment from each stock assessment (black line) for Southern New England / Mid-Atlantic (SNE/MA) winter flounder (black line), along with the predicted mean recruitment (gray line) using the regime-shift detection algorithm of Rodionov (2004).


Figure 5. Estimated time series of recruitment from each stock assessment (black line) for Georges Bank (GB) yellowtail flounder (black line), along with the predicted mean recruitment (gray line) using the regime-shift detection algorithm of Rodionov (2004).


Figure 6. Left : Threshold-based $P^{*}$ control rule, where the target $\mathrm{P}^{*}$ declines linearly as the estimated spawning biomass falls below the $\mathrm{S}_{\mathrm{MSY}}$ level, with $\mathrm{P}^{*}=0$ for $S / S_{\mathrm{MSY}}=0.1$ (solid line) and 0.2 (dashed line) Right: Buffer size (target catch / OFL) as a function of the target $P^{*}$ and the assumed C.V. of the distribution for the OFL (for the solid line the C.V. $=1.0$, and for the dashed line the C.V. $=1.2$ ).


Figure 7. Estimated recruitment (in numbers $\times 10^{3}$ ) as a function of spawning biomass $(\mathrm{mt})$, and the best-fitting Beverton-Holt stock recruit relationship (solid black line). Recruitment estimates were lagged the appropriate number of years to account for the age at recruitment to the population (age 1 for all stocks except witch flounder, which recruits at age 3 ).

GB Cod, Modified NAA


GB Cod, Alt. Control Rules


GB Cod, Gradual Change in Catch


Figure 8a. Boxplot of the distribution of the $F$-ratio for a given modification in the way the target catch is calculated using information from the GARM 1-3 assessments for Georges Bank cod (NEFSC 2002; 2005; 2008). The F-ratio is the estimated $F / F_{M S Y}$ where $F$ is calculated allowing for changes in biomass due to the altered catch targets (the dynamic approach with fixed recruitment). The solid line at 1 indicates catch targets that would have achieved $F_{M S Y}$. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined.

GB Cod, Modified NAA


GB Cod, Alt. Control Rules


GB Cod, Modified Recruitment


GB Cod, Alt. Projection Methods


GB Cod, Gradual Change in Catch


Figure 8 b. Boxplot of the distribution of the $F$-ratio for a given modification in the way the target catch is calculated using information from the GARM $1-3$ assessments for Georges Bank cod (NEFSC 2002; 2005; 2008). The F-ratio is the estimated $F / F_{M S Y}$ where $F$ is calculated using the fixed abundance-at-age estimates from the most recent assessment (the static approach). The solid line at 1 indicates catch targets that would have achieved $F_{M S Y}$. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined.

## GOM Cod, Modified NAA



GOM Cod, Alt. Control Rules


GOM Cod, Gradual Change in Catch


Figure 9 a . Boxplot of the distribution of the $F$-ratio for a given modification in the way the target catch is calculated using information from the GARM $1-3$ assessments for Gulf of Maine cod (NEFSC 2002; 2005; 2008). The $F$-ratio is the estimated $F / F_{M S Y}$ where $F$ is calculated allowing for changes in biomass due to the altered catch targets (the dynamic approach with fixed recruitment). The solid line at 1 indicates catch targets that would have achieved $F_{M S Y}$. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined.

GOM Cod, Modified NAA


GOM Cod, Alt. Control Rules



GOM Cod, Alt. Projection Methods


GOM Cod, Gradual Change in Catch


Figure 9 b. Boxplot of the distribution of the $F$-ratio for a given modification in the way the target catch is calculated using information from the GARM 1-3 assessments for Gulf of Maine cod (NEFSC 2002; 2005; 2008). The $F$-ratio is the estimated $F / F_{M S Y}$ where $F$ is calculated using the fixed abundance-at-age estimates from the most recent assessment (the static approach). The solid line at 1 indicates catch targets that would have achieved $F_{M S Y}$. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined. The y-axis limits are fixed at 8 for comparison with Figure 9a.

GB Yellowtail, Modified NAA


GB Yellowtail, Alt. Control Rules


GB Yellowtail, Gradual Change in Catch


GB Yellowtail, Modified Recruitment


GB Yellowtail, Alt. Projection Methods


Figure 10a. Boxplot of the distribution of the $F$-ratio for a given modification in the way the target catch is calculated using information from the GARM $1-3$ assessments for Georges Bank yellowtail (NEFSC 2002; 2005; 2008). The $F$-ratio is the estimated $F$ / $F_{M S Y}$ where $F$ is calculated allowing for changes in biomass due to the altered catch targets (the dynamic approach with fixed recruitment). The solid line at 1 indicates catch targets that would have achieved $F_{M S Y}$. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined. The upper limit of the $y$-axis was fixed at 30 for ease of comparison with Figure 10b.

GB Yellowtail, Modified NAA


GB Yellowtail, Alt. Control Rules


GB Yellowtail, Gradual Change in Catch


GB Yellowtail, Modified Recruitment


GB Yellowtail, Alt. Projection Methods



Witch, Gradual Change in Catch


Figure 11a. . Boxplot of the distribution of the $F$-ratio for a given modification in the way the target catch is calculated using information from the GARM $1-3$ assessments for witch flounder (NEFSC 2002; 2005; 2008). The $F$-ratio is the estimated $F / F_{M S Y}$ where $F$ is calculated allowing for changes in biomass due to the altered catch targets (the dynamic approach with fixed recruitment). The solid line at 1 indicates catch targets that would have achieved $F_{M S Y}$. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined. The upper limit of the $y$-axis was fixed at 12 for ease of comparison with Figure 11 b .


Witch, Gradual Change in Catch


Figure 11b. Boxplot of the distribution of the $F$-ratio for a given modification in the way the target catch is calculated using information from the GARM 1-3 assessments for witch flounder (NEFSC 2002; 2005; 2008). The $F$-ratio is the estimated $F / F_{M S Y}$ where $F$ is calculated using the fixed abundance-at-age estimates from the most recent assessment (the static approach). The solid line at 1 indicates catch targets that would have achieved $F_{M S Y}$. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined.


SNE/MA Winter, Alt. Control Rules




SNE/MA Winter, Alt. Projection Methods


SNE/MA Winter, Gradual Change in Catch



SNE/MA Winter, Alt. Control Rules


SNE/MA Winter, Gradual Change in Catch


SNE/MA Winter, Modified Recruitment


SNE/MA Winter, Alt. Projection Methods


Figure 12b. Boxplot of the distribution of the $F$-ratio for a given modification in the way the target catch is calculated using information from the GARM $1-3$ assessments for SNE/MA winter flounder (NEFSC 2002; 2005; 2008). The $F$-ratio is the estimated $F$ / $F_{M S Y}$ where $F$ is calculated using the fixed abundance-at-age estimates from the most recent assessment (the static approach). The solid line at 1 indicates catch targets that would have achieved $F_{M S Y}$. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined.

## GB Cod, Modified NAA



GB Cod, Alt. Control Rules


GB Cod, Modified Recruitment


GB Cod, Alt. Projection Methods


GB Cod, Gradual Change in Catch


Figure 13. The frequency of overfishing for Georges Bank cod, defined as the proportion of years (from 2004-2011) when $F>F_{\text {MSY, calculated allowing for changes in biomass }}$ due to the altered catch targets (the dynamic approach with fixed recruitment).

GOM Cod, Modified NAA


GOM Cod, Alt. Control Rules


GOM Cod, Modified Recruitment


GOM Cod, Alt. Projection Methods


GOM Cod, Gradual Change in Catch


Figure 14. The frequency of overfishing for Gulf of Maine cod, defined as the proportion of years (from 2004-2012) when $F>F_{\text {MSY, }}$ calculated allowing for changes in biomass due to the altered catch targets (the dynamic approach with fixed recruitment).

GB Yellowtail, Modified NAA


GB Yellowtail, Alt. Control Rules


GB Yellowtail, Gradual Change in Catch


Figure 15. The frequency of overfishing for Georges Bank yellowtail, defined as the proportion of years (from 2004-2012) when $F>F_{\mathrm{MSY}}$, calculated allowing for changes in biomass due to the altered catch targets (the dynamic approach with fixed recruitment).


Figure 16. The frequency of overfishing for witch flounder, defined as the proportion of years (from 2004-2012) when $F>F_{\text {MSY }}$, calculated allowing for changes in biomass due to the altered catch targets (the dynamic approach with fixed recruitment).

SNE/MA Winter, Modified NAA


SNE/MA Winter, Alt. Control Rules


SNE/MA Winter, Gradual Change in Catch


SNE/MA Winter, Modified Recruitment

$\approx$

SNE/MA Winter, Alt. Projection Methods


Figure 17. The frequency of overfishing for southern New England / Mid-Atlantic (SNE/MA) winter flounder, defined as the proportion of years (from 2004-2012) when $F$ $>F_{\mathrm{MSY}}$, calculated allowing for changes in biomass due to the altered catch targets (the dynamic approach with fixed recruitment).

GB Cod, Modified NAA


GB Cod, Alt. Control Rules


GB Cod, Modified Recruitment


GB Cod, Alt. Projection Methods


GB Cod, Gradual Change in Catch


Figure 18. Boxplot of the distribution of the interannual variability (AAV) in the target catch for a given modification in the way the target catch is calculated for GB cod. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined. The red * is the unmodified (i.e., original) AAV.


Figure 19. Boxplot of the distribution of the interannual variability (AAV) in the target catch for a given modification in the way the target catch is calculated for GOM cod. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined. The red * is the unmodified (i.e., original) AAV.


GB Yellowtail, Gradual Change in Catch


Figure 20. Boxplot of the distribution of the interannual variability (AAV) in the target catch for a given modification in the way the target catch is calculated for GB yellowtail flounder. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined. The red * is the unmodified (i.e., original) AAV.


Figure 21. Boxplot of the distribution of the interannual variability (AAV) in the target catch for a given modification in the way the target catch is calculated for witch flounder. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined. The red * is the unmodified (i.e., original) AAV.


Figure 22. Boxplot of the distribution of the interannual variability (AAV) in the target catch for a given modification in the way the target catch is calculated for SNE/MA winter flounder. For a given modification (see Table 3 for details of each modification), the distribution is based on estimates across all modifications combined. The red * is the unmodified (i.e., original) AAV.

## GB Cod, All Assessments Combined



Figure 23. Regression tree predicting the $F$-ratio $\left(F / F_{M S Y}\right.$; calculated using the dynamic approach with fixed recruitment) across alternative methods for setting catch advice for GB cod for the GARM 1, 2, and 3 assessments combined. Predictor values are integers corresponding to the run numbers in Table 3, such that splits occur at 0.5 threshold values for a given predictor. Numbers at the end of each branch are the mean $F$-ratios for each combination of methods (determined by the splits). This tree, for example shows that a mean $F$-ratio of 1.23 would have occurred if projections were not done (Projection $>2.5$ splits the runs between PR runs 1 and 2 of the left branch, and PR run 3 on the right) without a threshold-based control-rule (CR runs 1 and 2; left branch of second split on right side of figure). The same predictors can occur on consecutive splits albeit for different levels. Here, on the left side of the tree, a split first occurs at an NAA.mod of 5.5. This indicates a difference between those runs that used older abundance data (NAA runs 6,7 , and 8 ) and those that did not. For those that did not, there was a subsequent split at NAA.mod 2.5, splitting runs that used a fixed adjustment factor (NAA runs 3,4, and 5 which resulted in a mean $F / F_{M S Y}$ of 1.13), and those that did not (resulting in a mean $F / F_{M S Y}$ of 1.82).

## GOM Cod, All Assessments Combined



Figure 24. Regression tree predicting $F / F_{M S Y}$ (calculated using the dynamic abundance approach with fixed recruitment) across alternative methods for setting catch advice for GOM cod for the GARM 1, 2, and 3 assessments combined.

## GB Yellowtail, All Assessments Combined



Figure 25. Regression tree predicting $F$ / (calculated using the dynamic abundance approach with fixed recruitment) across alternative methods for setting catch advice for GB yellowtail flounder for the GARM 1, 2, and 3 assessments combined.

## Witch, All Assessments Combined



Figure 26. Regression tree predicting $F / F_{M S Y}$ (calculated using the dynamic abundance approach with fixed recruitment) across alternative methods for setting catch advice for witch flounder for the GARM 1, 2, and 3 assessments combined.

## SNE/MA Winter, All Assessments Combined



Figure 27. Regression tree predicting $F / F_{M S Y}$ (calculated using the dynamic abundance approach with fixed recruitment) across alternative methods for setting catch advice for SNE/MA winter flounder for the GARM 1, 2, and 3 assessments combined.

## Appendix A.

Table A1. Input values used in the DLMtool R package for GB cod. This file shows the model run using the fall index of abundance with all available years. For runs calculating the catch following GARM 1,2 , and 3 , the dataset was truncated using data through 2001, 2004, and 2007, respectively.


Table A2. Input values used in the DLMtool R package for GOM cod. This file shows the model run using the fall index of abundance with all available years. For runs calculating the catch following GARM 1,2 , and 3 , the dataset was truncated using data through 2001, 2004, and 2007, respectively.

| Name | GOM_cod_fall |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Year | 1982 | 1983 | 1984 | 1985 | 1986 | 1987 | 1988 | 1989 | 1990 | 1991 | 1992 | 1993 | 1994 |
| Catch | 17092.1 | 16478.1 | 12859.3 | 14382.5 | 12567.4 | 11981.4 | 10326.4 | 13332.8 | 19280.4 | 20944.1 | 12329.3 | 9909.4 | 9009.8 |
| Abundance index | 15.919 | 8.416 | 8.735 | 8.264 | 4.715 | 3.394 | 6.616 | 4.535 | 4.912 | 2.782 | 2.448 | 1.002 | 2.737 |
| Year (cont.) | 1995 | 1996 | 1997 | 1998 | 1999 | 2000 | 2001 | 2002 | 2003 | 2004 | 2005 | 2006 | 2007 |
| Catch (cont.) | 7517.5 | 7716.2 | 5784.9 | 4541.9 | 3042.3 | 5753.9 | 7941.2 | 6365.7 | 6355.5 | 5768.8 | 5257.6 | 4207.3 | 5485 |
| Abundance index (cont.) | 3.665 | 2.351 | 1.872 | 1.5 | 3.505 | 4.652 | 7.324 | 24.659 | 5.988 | 4.906 | 2.897 | 4.229 | 2.714 |
| Year (cont.) | 2008 | 2009 | 2010 | 2011 | 2012 | 2013 | 2014 |  |  |  |  |  |  |
| Catch (cont.) | 7186.5 | 8246.7 | 7517.4 | 6673.2 | 3471.7 | 1776.9 | 1470.6 |  |  |  |  |  |  |
| Abundance index (cont.) | 5.307 | 5.776 | 1.985 | 2.667 | 1.024 | 1.068 | 2.662 |  |  |  |  |  |  |
| Durationt | 33 |  |  |  |  |  |  |  |  |  |  |  |  |
| Average catch over time t | 8865.87273 |  |  |  |  |  |  |  |  |  |  |  |  |
| Depletion over time t | NA |  |  |  |  |  |  |  |  |  |  |  |  |
| M | 0.2 |  |  |  |  |  |  |  |  |  |  |  |  |
| FMSY/M | 0.925 |  |  |  |  |  |  |  |  |  |  |  |  |
| вмSY/во | 0.35 |  |  |  |  |  |  |  |  |  |  |  |  |
| MSY | NA |  |  |  |  |  |  |  |  |  |  |  |  |
| вмsY | NA |  |  |  |  |  |  |  |  |  |  |  |  |
| Age at 50\% maturity | 2.7 |  |  |  |  |  |  |  |  |  |  |  |  |
| Length at first capture | 37 |  |  |  |  |  |  |  |  |  |  |  |  |
| Length at full selection | 80 |  |  |  |  |  |  |  |  |  |  |  |  |
| Current stock depletion | NA |  |  |  |  |  |  |  |  |  |  |  |  |
| Current stock abundance | NA |  |  |  |  |  |  |  |  |  |  |  |  |
| Von Bertalanfy K parameter | 0.1145 |  |  |  |  |  |  |  |  |  |  |  |  |
| Von Bertalanffy Linf parameter | 152.5 |  |  |  |  |  |  |  |  |  |  |  |  |
| Von Bertalanffy to parameter | -0.47 |  |  |  |  |  |  |  |  |  |  |  |  |
| Length-weight parameter a | 5.13E-06 |  |  |  |  |  |  |  |  |  |  |  |  |
| Length-weight parameter b | 3.1625 |  |  |  |  |  |  |  |  |  |  |  |  |
| Steepness | 0.8 |  |  |  |  |  |  |  |  |  |  |  |  |
| Maximum age | 25 |  |  |  |  |  |  |  |  |  |  |  |  |
| cv Catch | 0.2 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV Depletion over time t | 0.5 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV Average catch over time t | 0.221 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV Abundance index | 0.3 |  |  |  |  |  |  |  |  |  |  |  |  |
| cvm | 0.4 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV FMSY/m | 0.3 |  |  |  |  |  |  |  |  |  |  |  |  |
| cv вмSY/во | 0.045 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV current stock depletion | 0.5 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV current stock abundance | 1 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV von B. K parameter | 0.1 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV von B. Linf parameter | 0.1 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV von B. to parameter | 0.1 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV Age at $50 \%$ maturity | 0.25 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV Length at first capture | 0.25 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV Length at full selection | 0.25 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV Length-weight parameter a | 0.1 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV Length-weight parameter b | 0.1 |  |  |  |  |  |  |  |  |  |  |  |  |
| CV Steepness | 0.3 |  |  |  |  |  |  |  |  |  |  |  |  |
| Sigma length composition | 0.2 |  |  |  |  |  |  |  |  |  |  |  |  |
| Units | metric tons |  |  |  |  |  |  |  |  |  |  |  |  |
| Reference OFL | NA |  |  |  |  |  |  |  |  |  |  |  |  |
| Reference OfL type | NA |  |  |  |  |  |  |  |  |  |  |  |  |
| CAA_bins | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 |  |  |  |  |  |
| CAA 1982 | 446 | 2919.3 | 2286.7 | 1430.5 | 748.8 | 65.9 | 94.1 | 72.6 |  |  |  |  |  |
| CAA 1983 | 587.5 | 2446.4 | 2912.8 | 1201.6 | 704 | 452.7 | 50 | 62.5 |  |  |  |  |  |
| CAA 1984 | 366.3 | 2112.7 | 1674.5 | 1643.6 | 437.5 | 219.6 | 105.6 | 9.5 |  |  |  |  |  |
| CAA 1985 | 500.3 | 1931.7 | 2400.6 | 1151.8 | 738.1 | 161.4 | 107.2 | 48.4 |  |  |  |  |  |
| CAA 1986 | 756.7 | 1737.8 | 2747.6 | 991.6 | 279.3 | 202.7 | 48 | 38.2 |  |  |  |  |  |
| CAA 1987 | 275.7 | 1968.4 | 1560.1 | 1574.5 | 345.4 | 89.4 | 81 | 14.5 |  |  |  |  |  |
| CAA 1988 | 411.7 | 1528.8 | 2084 | 1156.9 | 447.7 | 67.4 | 25.6 | 26.2 |  |  |  |  |  |
| CAA 1989 | 163.7 | 1209.7 | 2361.7 | 1650.5 | 521.1 | 87.1 | 70.3 | 9.4 |  |  |  |  |  |
| CAA 1990 | 64.9 | 801.4 | 5510.2 | 2713.3 | 541.4 | 189.1 | 29.7 | 36.4 |  |  |  |  |  |
| CAA 1991 | 120.5 | 489.3 | 930.9 | 5539.9 | 1036.1 | 150.7 | 55.5 | 26 |  |  |  |  |  |
| CAA 1992 | 368.6 | 817.8 | 858.5 | 500.9 | 2187.3 | 226.1 | 80.2 | 6 |  |  |  |  |  |
| CAA 1993 | 104 | 463.4 | 2124.3 | 935 | 103.3 | 497.1 | 41.6 | 11.3 |  |  |  |  |  |
| CAA 1994 | 121.8 | 169 | 1482.1 | 1291.2 | 266.3 | 66.2 | 74.2 | 28.7 |  |  |  |  |  |
| CAA 1995 | 77 | 298.1 | 1276.2 | 1252.2 | 221.4 | 29.9 | 6.5 | 18.2 |  |  |  |  |  |
| CAA 1996 | 34.6 | 100.9 | 612.1 | 1983.8 | 404.1 | 36.7 | 4 | 0.5 |  |  |  |  |  |
| CAA 1997 | 67.7 | 126.9 | 506.9 | 464.7 | 863.3 | 72.1 | 5.5 | 2.3 |  |  |  |  |  |
| CAA 1998 | 4.3 | 152.2 | 479 | 620.2 | 152.7 | 205.2 | 28.7 | 5.2 |  |  |  |  |  |
| CAA 1999 | 66.6 | 67.2 | 329.3 | 333.6 | 171.2 | 53.5 | 59.4 | 12.4 |  |  |  |  |  |
| CAA 2000 | 17.9 | 416.4 | 533.8 | 808.1 | 176.1 | 85.1 | 12.5 | 10.5 |  |  |  |  |  |
| CAA 2001 | 0.6 | 323.2 | 1101.7 | 671.3 | 383 | 106.4 | 57.2 | 8.3 |  |  |  |  |  |
| CAA 2002 | 13.6 | 35 | 319.7 | 865.6 | 312.8 | 163.4 | 66.4 | 27.9 |  |  |  |  |  |
| CAA 2003 | 37.6 | 99.3 | 150.5 | 530.8 | 685.4 | 183.1 | 75.7 | 29.2 |  |  |  |  |  |
| CAA 2004 | 132.8 | 92.5 | 550.9 | 250.4 | 388.2 | 248 | 70.3 | 35.7 |  |  |  |  |  |
| CAA 2005 | 23.9 | 139.3 | 137.6 | 859.7 | 87.3 | 241.8 | 109.2 | 28.7 |  |  |  |  |  |
| CAA 2006 | 16.5 | 46.6 | 366.7 | 275.1 | 442.3 | 29.5 | 80.6 | 40.2 |  |  |  |  |  |
| CAA 2007 | 11.7 | 86 | 248 | 907.7 | 130.9 | 222.9 | 8.3 | 20.9 |  |  |  |  |  |
| CAA 2008 | 10.6 | 102.2 | 533 | 679.9 | 787.6 | 67.3 | 100.8 | 3.3 |  |  |  |  |  |
| CAA 2009 | 9.2 | 81.8 | 593.1 | 1055.4 | 468 | 277.5 | 22 | 30 |  |  |  |  |  |
| CAA 2010 | 6.7 | 53.5 | 338.8 | 842.5 | 634.5 | 160.2 | 82.5 | 13.2 |  |  |  |  |  |
| CAA 2011 | 7 | 37.1 | 234.1 | 551.5 | 585.4 | 354.5 | 36.3 | 39.9 |  |  |  |  |  |
| CAA 2012 | 13.1 | 83.1 | 288.7 | 431.2 | 243.4 | 125 | 58.8 | 7.6 |  |  |  |  |  |
| CAA 2013 | 6.3 | 165.3 | 296.1 | 188.8 | 122.9 | 22.9 | 12.6 | 6.9 |  |  |  |  |  |
| CAA 2014 | 15.3 | 49.3 | 241.4 | 254.9 | 71.9 | 28.3 | 8.8 | 1.9 |  |  |  |  |  |

Table A3. Input values used in the DLMtool R package for GB yellowtail flounder. This file shows the model run using the fall index of abundance with all available years. For runs calculating the catch following GARM 1,2 , and 3 , the dataset was truncated using data through 2001, 2004, and 2007, respectively.


Table A4. Input values used in the DLMtool R package for witch flounder. This file shows the model run using the fall index of abundance with all available years. For runs calculating the catch following GARM 1,2 , and 3 , the dataset was truncated using data through 2001, 2004, and 2007, respectively.


Table A5. Input values used in the DLMtool R package for SNE/MA winter flounder. This file shows the model run using the fall index of abundance with all available years. For runs calculating the catch following GARM 1, 2, and 3, the dataset was truncated using data through 2001, 2004, and 2007, respectively.


Table A6. Input values used in the DLMtool R package for pollock. This file shows the model run using the fall index of abundance with all available years. For runs calculating the catch following GARM 1,2 , and 3 , the dataset was truncated using data through 2001, 2004, and 2007, respectively.


